

World Economics

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What is Economics ?

- Old school: functioning of the economy (markets)
- cf. biology, physics, sociology, psychology => subject matter
- Modern: rational decision-making of agents under given constraints
 - (scarcity)
- Many fields of application (family, crime, education, politics, etc.)

“World Economics”

- Economic principles
 - at the margin (MB, MC)
 - Trade-offs => opportunity costs
- application: domestic - international

Content of course

- What is a production/supply (part 1, 3)?
- What types of goods can we trade (2)?
- What is a demand (2)?
- How does a market work (3)?
- How do international markets work (3)?
- How does trade affect local economy (4)?

- Starting simple – getting more abstract

Two approaches

- Partial equilibrium analysis
 - => single market
 - labor, cons. good, input (capital, resources)
 - Market: theoretical construct – supply/demand
- General equilibrium analysis
 - Total economy – all markets
 - simultaneous
 - spill-over

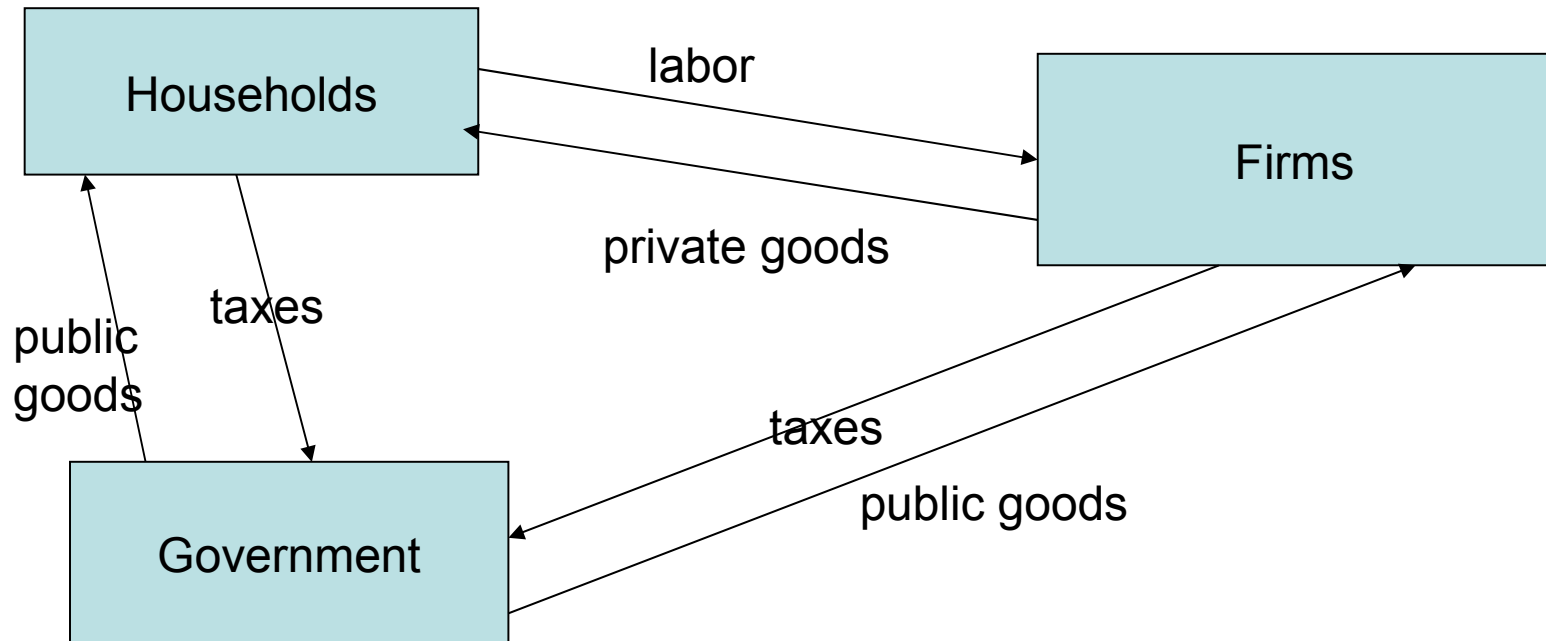
Agents in an Economy I

- Consumers
 - Maximize utility
 - Rationally
 - Under constraint of household budget
 - Income: labor
- Producers
 - Maximize profits, rationally
 - Under technological constraint
 - Profit: selling produce (capital ownership)

Agents in an Economy II

- Government
 - Maximizes welfare in society (classic)
 - sets and collects taxes
 - provides public goods
- ‚Markets‘
 - meeting points of demand (\leq consumers) and supply (\leq producers) of products/‘goods‘

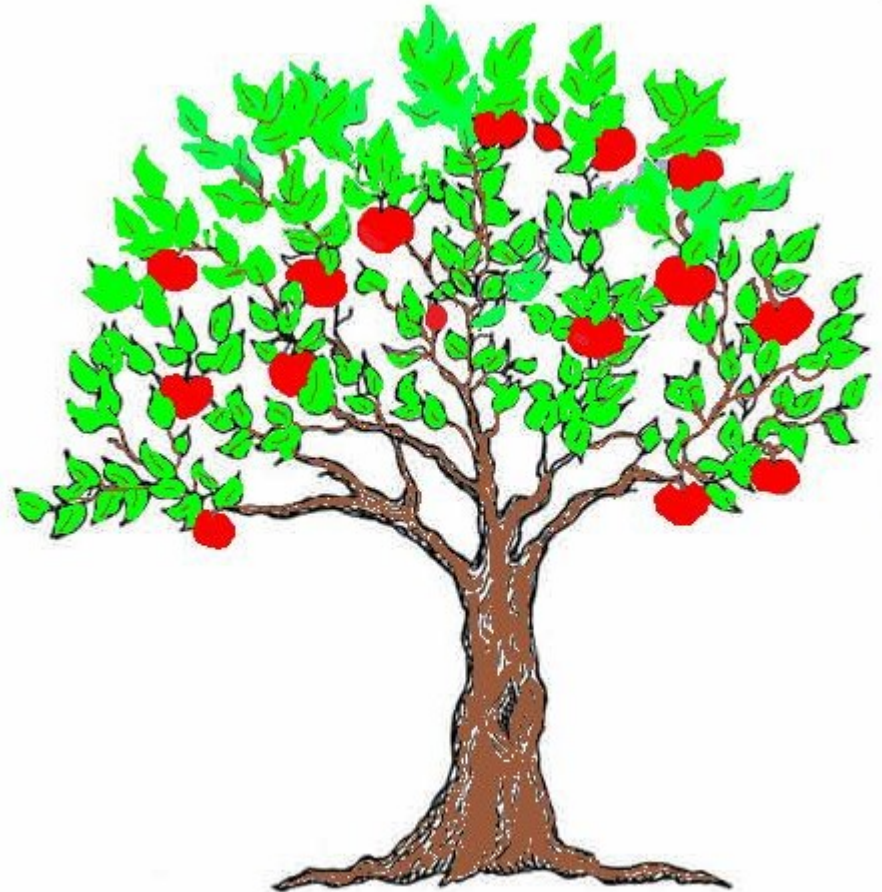
Sectors of an Economy



Part 1: Production

The Producers I

- Maximize profit
 - choose: output level
 - choose: input level
- Example:
producer of apples



The Producers II

- Profit = revenue – costs
- Revenue: selling price x volume
 - E.g. 50 cent/apple x number of apples





Source: https://www.landwirtschaft-bw.info/servlet/PB/-s/3wy6xv16o4e81ftq7j8bkqs8a1k44q1c/show/1317590/ern_obstangebot_supermarkt_bp.pdf

The Producers III



workers, plot(land), fertilizer, ladders, baskets, seeds, water, advertising, logistics, gardening equipment, transport

Source:<http://www.google.de/products/catalog?q=holzleiter>; <http://www.google.de/products/catalog?q=Wiese>; http://www.neckermann.de/Schleich_13458_Arbeiter_mit_Motorsense; <http://de.wikipedia.org/wiki/Lastkraftwagen>

The Producers IV

- Costs: workers, land, fertilizer, ladders, baskets, seeds, water, advertising, logistics
 - Fixed costs: plot, seeds
 - Variable costs: labor, ,capital‘ (machines/equipment), other non-durable input factors (water, fertilizer), transport
 - Classical I: land, labor, capital
 - Classical II: input factor 1, input factor 2
 - Modern: labor, capital, human capital

Characteristics of Costs I

- Production costs increase in variable input

1 worker = 500 Euro



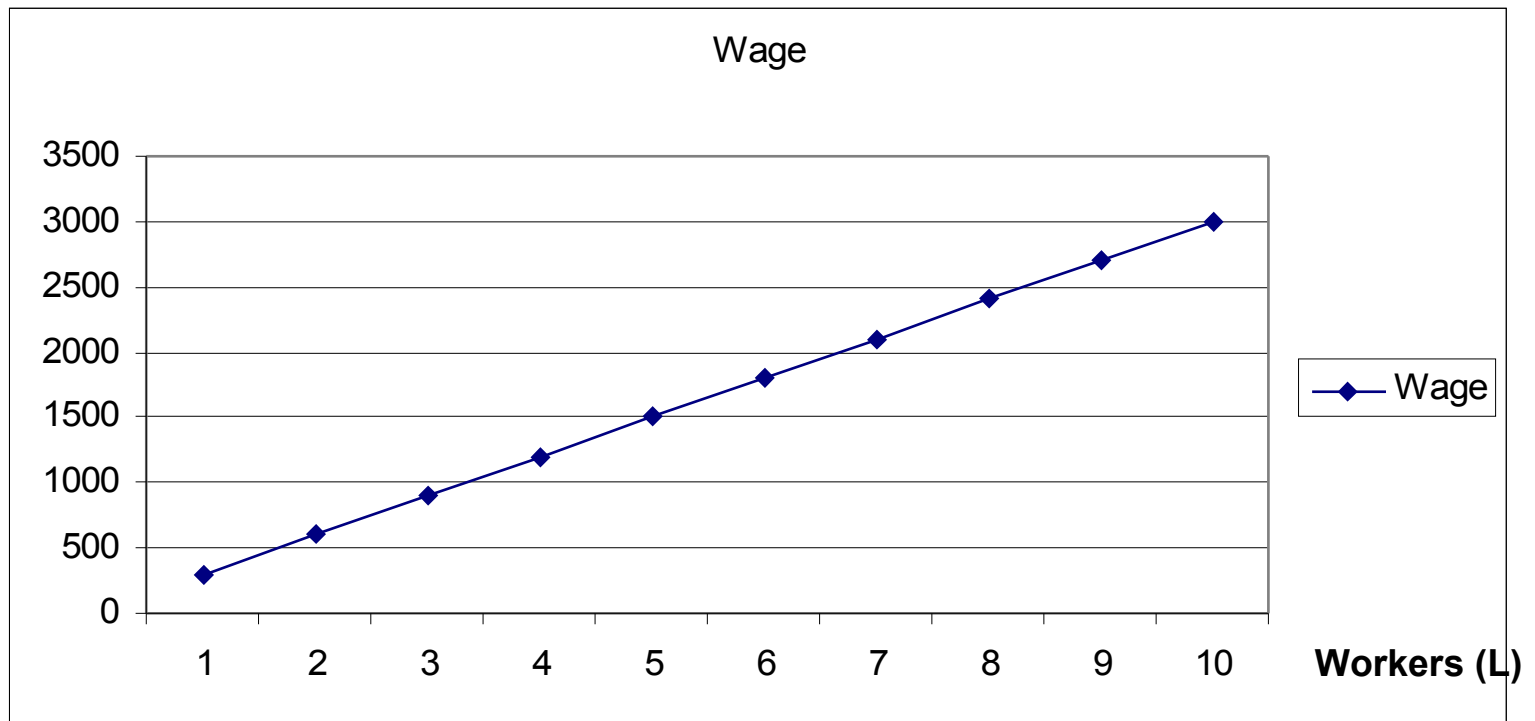
6 workers = 3000 Euro



assumption: ‚constant marginal costs‘

Characteristics of Costs II

- Labor costs
- constant marginal costs, no fixed costs



Labor Costs

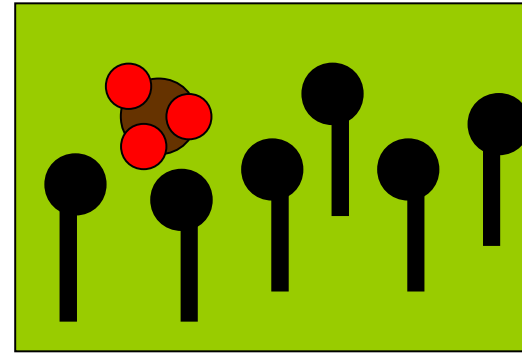
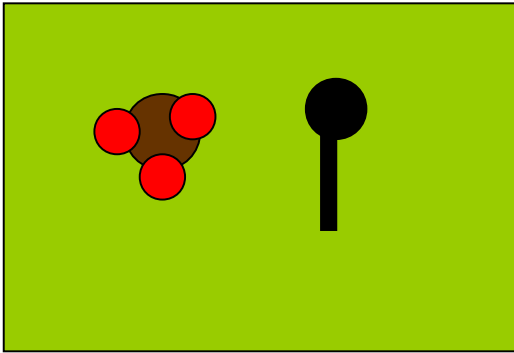
- Mathematical: wL
- L : Number of hours worked
- w : wage/hour worked
- w : price for labor, exogenously given
- ($w \leq$ labor market)
- Constant marginal cost: $d(wL)/dL = w$

Production function I

- $X = y(L)$
- assumption: only labor, no land
- assumption: only variable input, no fixed-amount input
- \Rightarrow only variable costs, no fixed costs
- \Rightarrow only one input factor

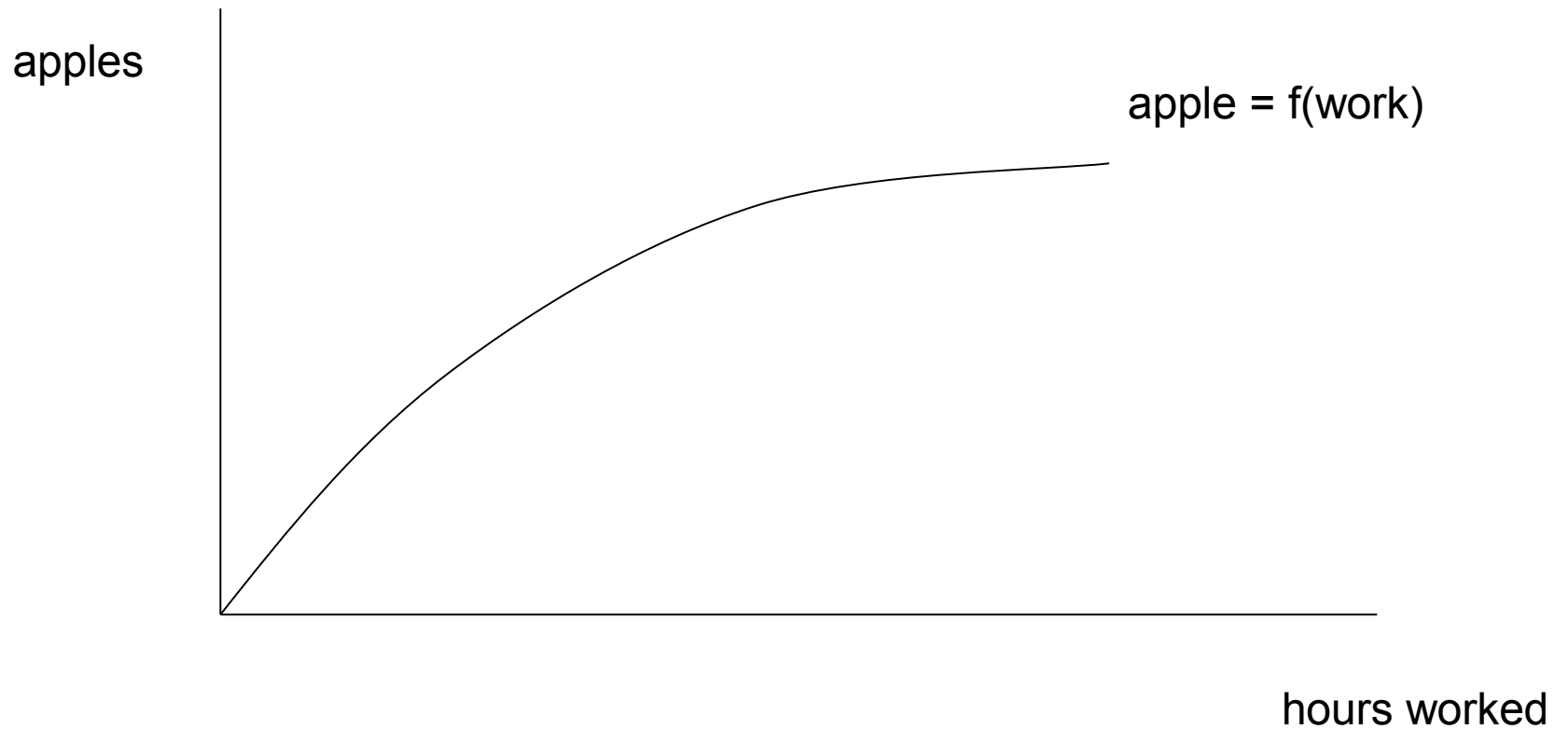
Production function II

- decreasing marginal product of labor

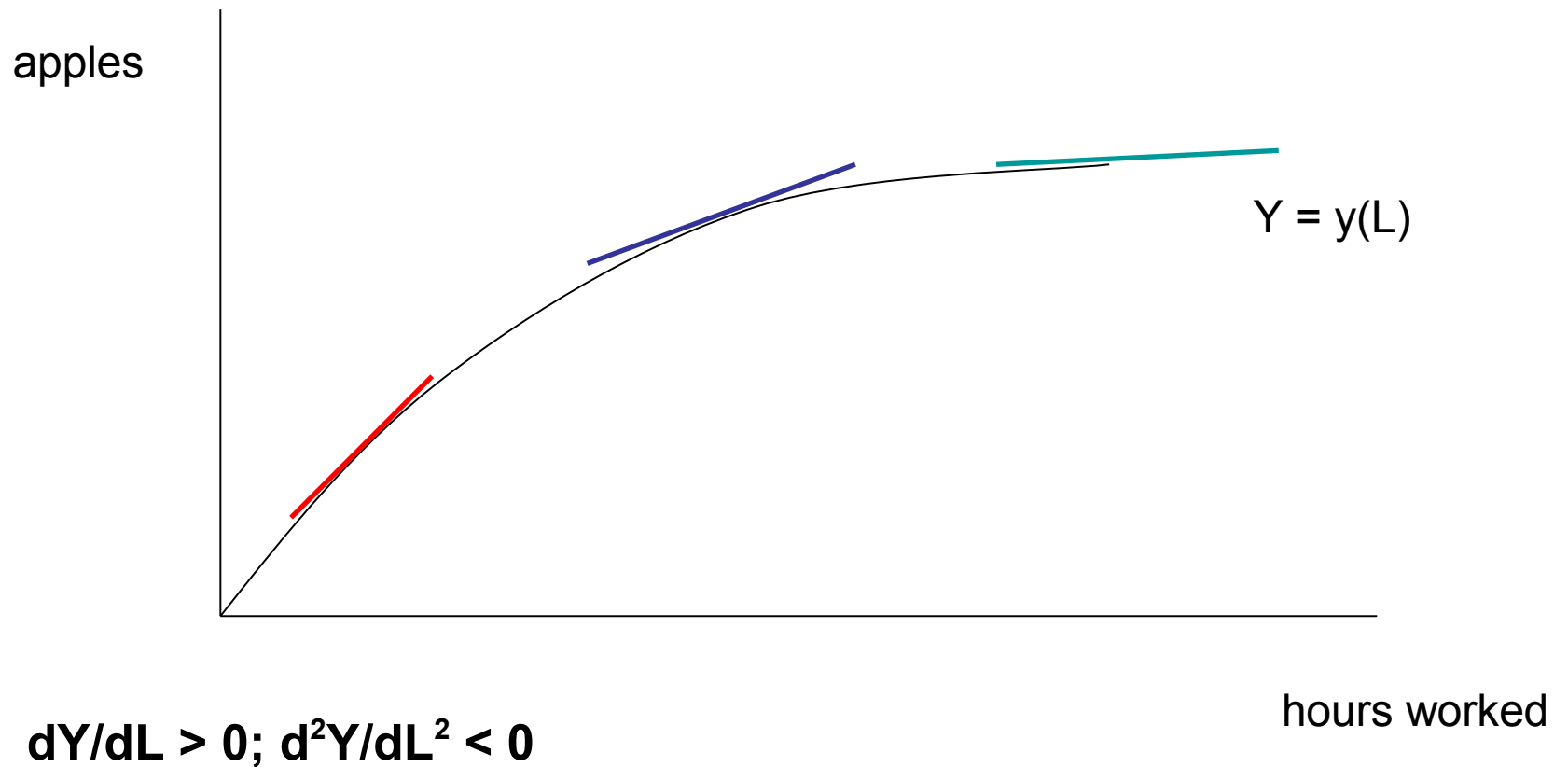


- E.g.
 - congestion of workers and trees on plot,
 - sub-optimal worker-tree relation,
 - workers get tired ($L > 40\text{h}/\text{worker}$) (one input factor)

Production function III



Decreasing marginal product of hour worked



Profit Maximization I

- Producer: decides about hours worked
(=> number of apples)
 - wage per hour (w): fix
 - Market price for apple (p): fix
 - Contribution of last hour worked to total output (dY/dL): positive, but declines
=> Market value of marginal product of labor is positive, but declines ($p * dY/dL$)
 - Producer: $p * dY/dL \geq w$
 - value of additional labor vs. costs of additional labor

Profit Maximization II

- Producer: $p^*dY/dL \geq w$
- Case 1: value > costs
 - \Rightarrow one additional hour (+dL)
 - \Rightarrow apple output increases by dY/dL
 - \Rightarrow costs (wage costs) increase by w
 - Profit gain: value of output increase – costs of this increase
 - $= p^*dY/dL - w = d\Pi \geq 0$

Profit maximization III

– Producer: $p \cdot dY/dL \geq w$

– Case 2: value < costs

- \Rightarrow one hour worked less ($-dL$)
- \Rightarrow apple output decreases ($-dY/dL$)
- \Rightarrow costs (wage costs) decrease ($-w$)
- Profit gain: savings in labor costs (w) – loss in apple production ($-dY/dL$) valued at market price p

$$\Leftrightarrow w - p \cdot dY/dL = d\Pi \geq 0$$

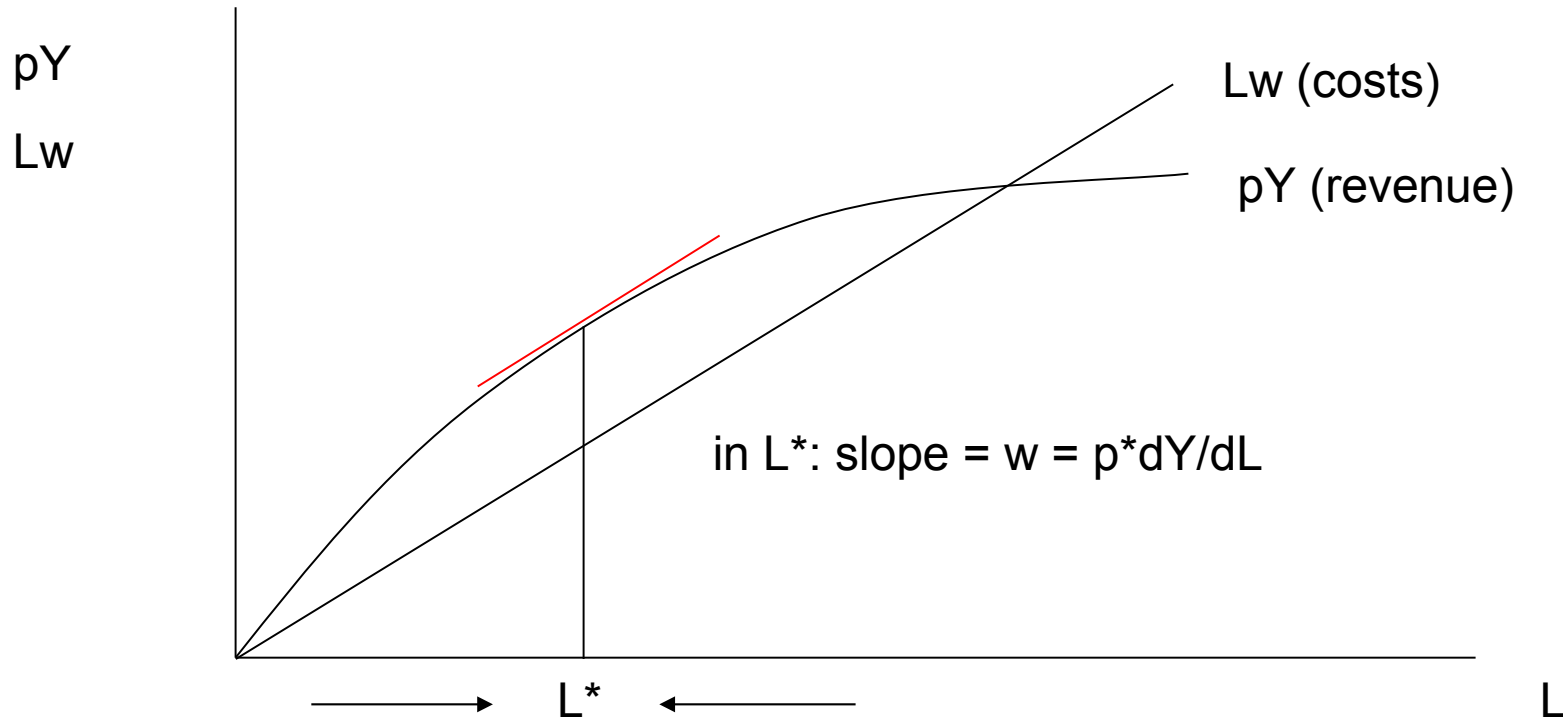
- (reverse: increase in L in case 2 $\Rightarrow d\Pi < 0$)

Profit maximization IV

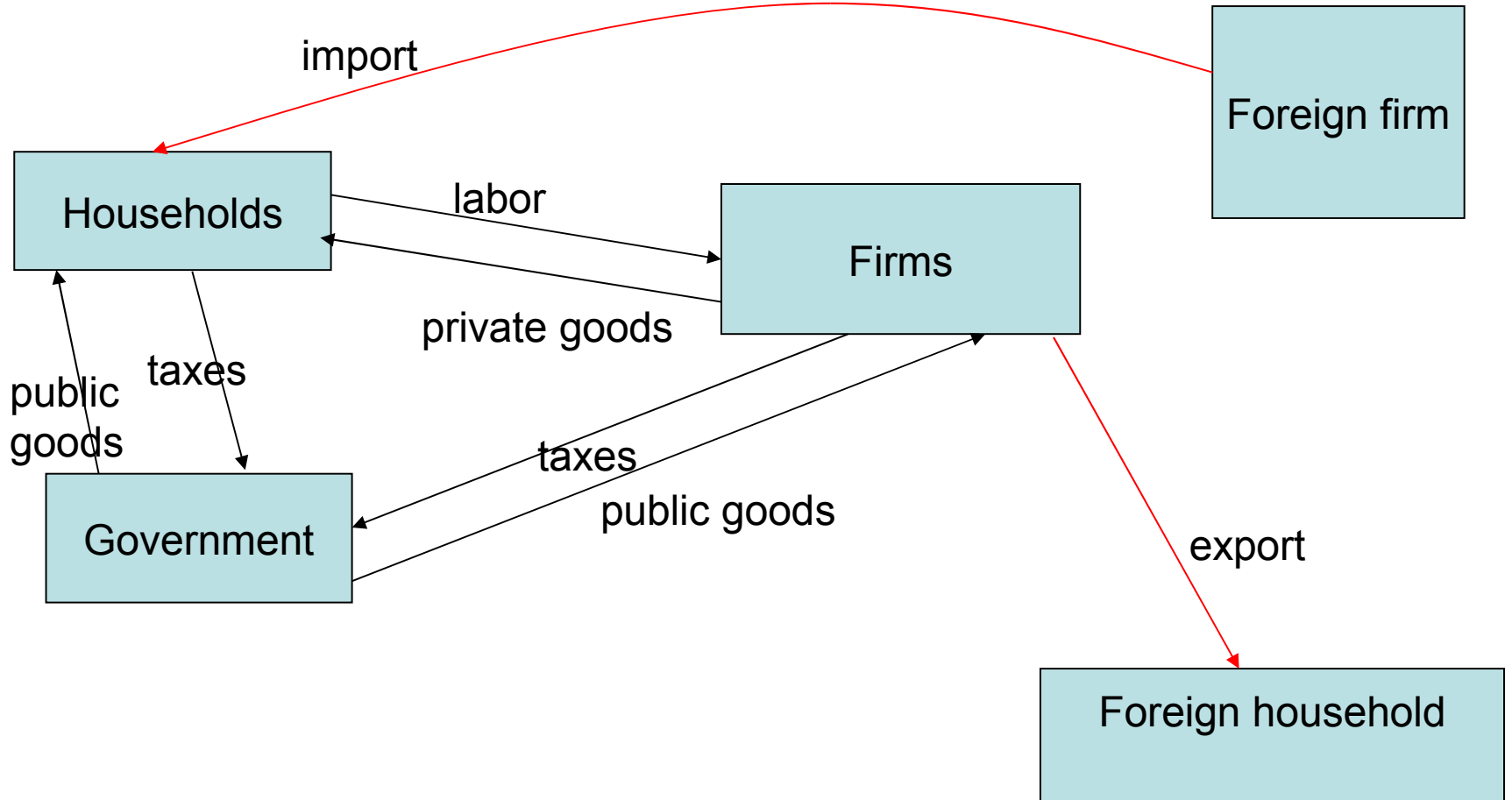
- Point of optimal L^* which maximizes profit:
- $d\Pi = 0$
- Marginal profit = 0
- Further increase in L cannot increase Π
(see case 1)
- Further decrease in L cannot increase Π
(see case 2)

Profit maximization V

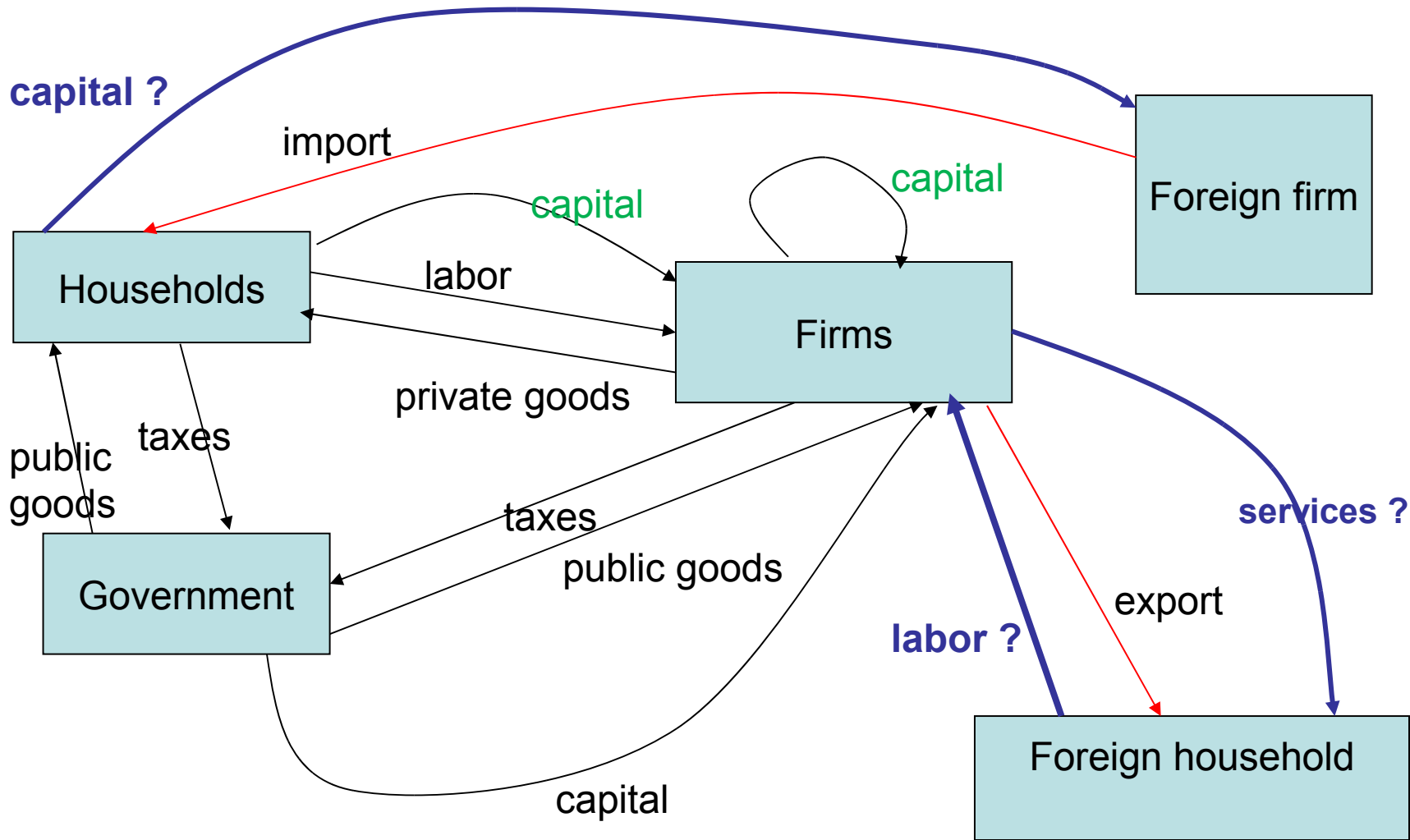
- Profit function: $\Pi = y(L)p - Lw$



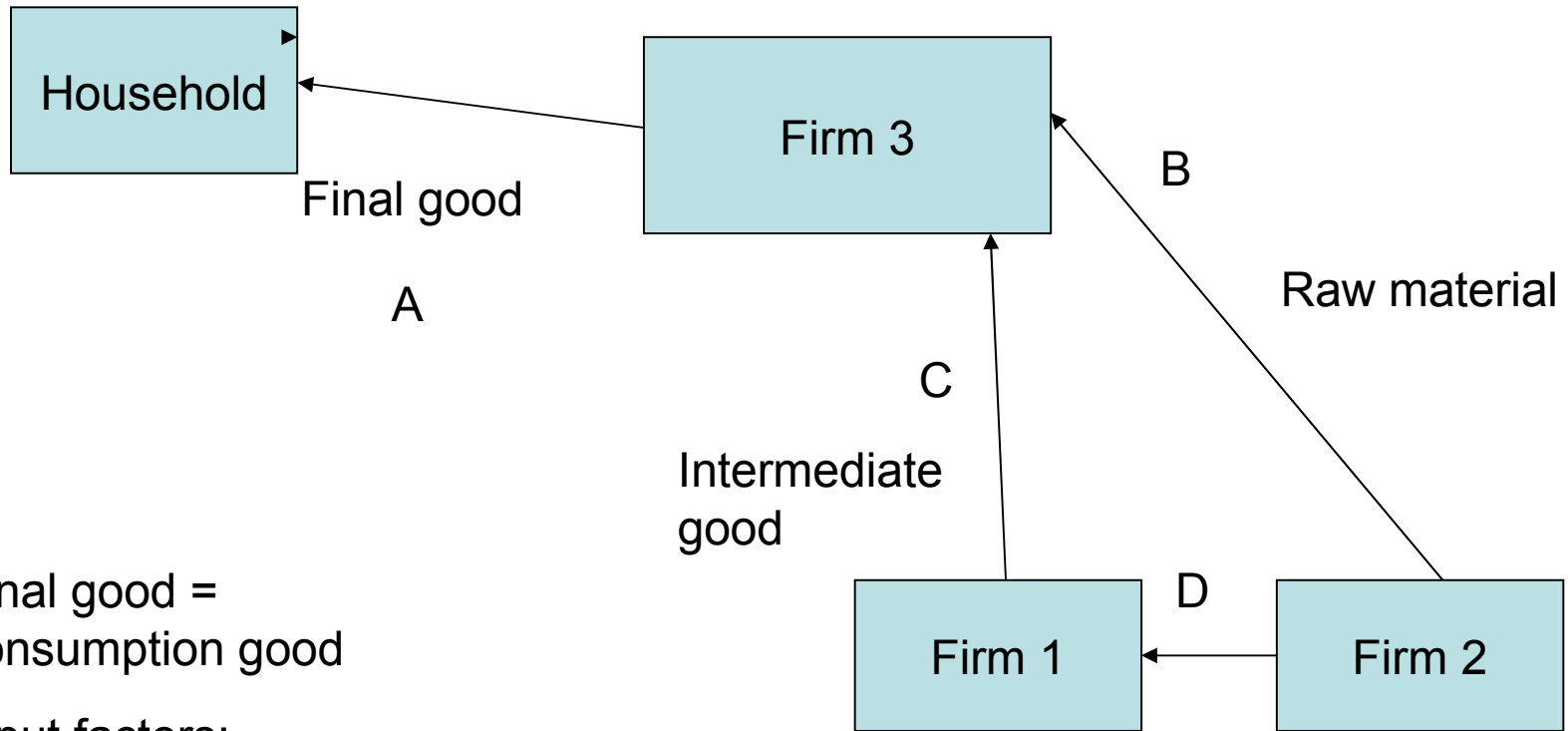
Foreign countries I



Foreign countries II



Where are the goods' markets?



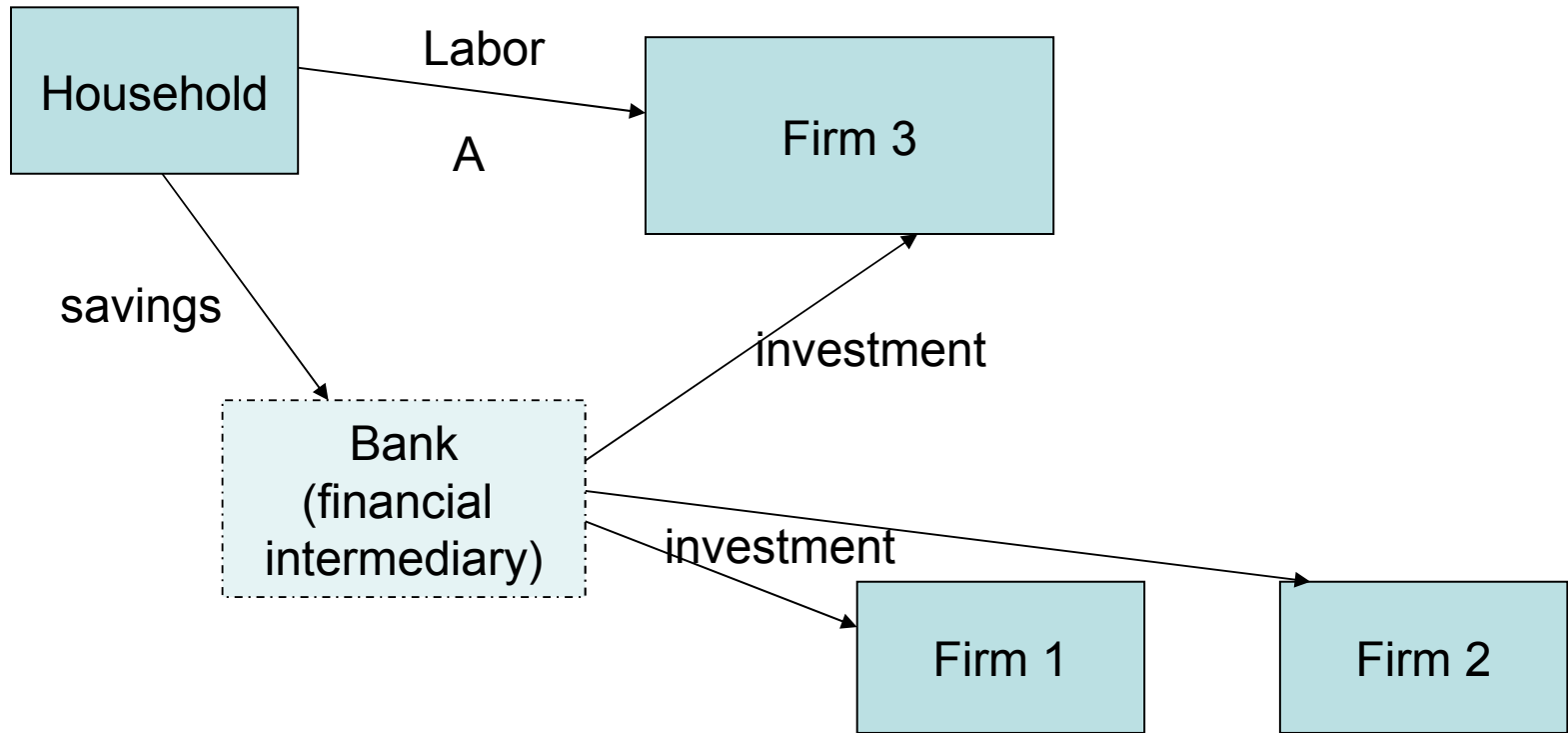
Final good =
consumption good

Input factors:
intermediate good,
raw material

Where are the goods' markets?

- Market A: demand: household, supply: firm 3, good: consumption good
- Market B: demand: firm 3, supply: firm 2, good: raw material
- Market C: demand: firm 3, supply: firm 1, good: intermediate good
- Market D: demand: firm 1, supply: firm 2. good: raw material

Capital and Labor Markets ?

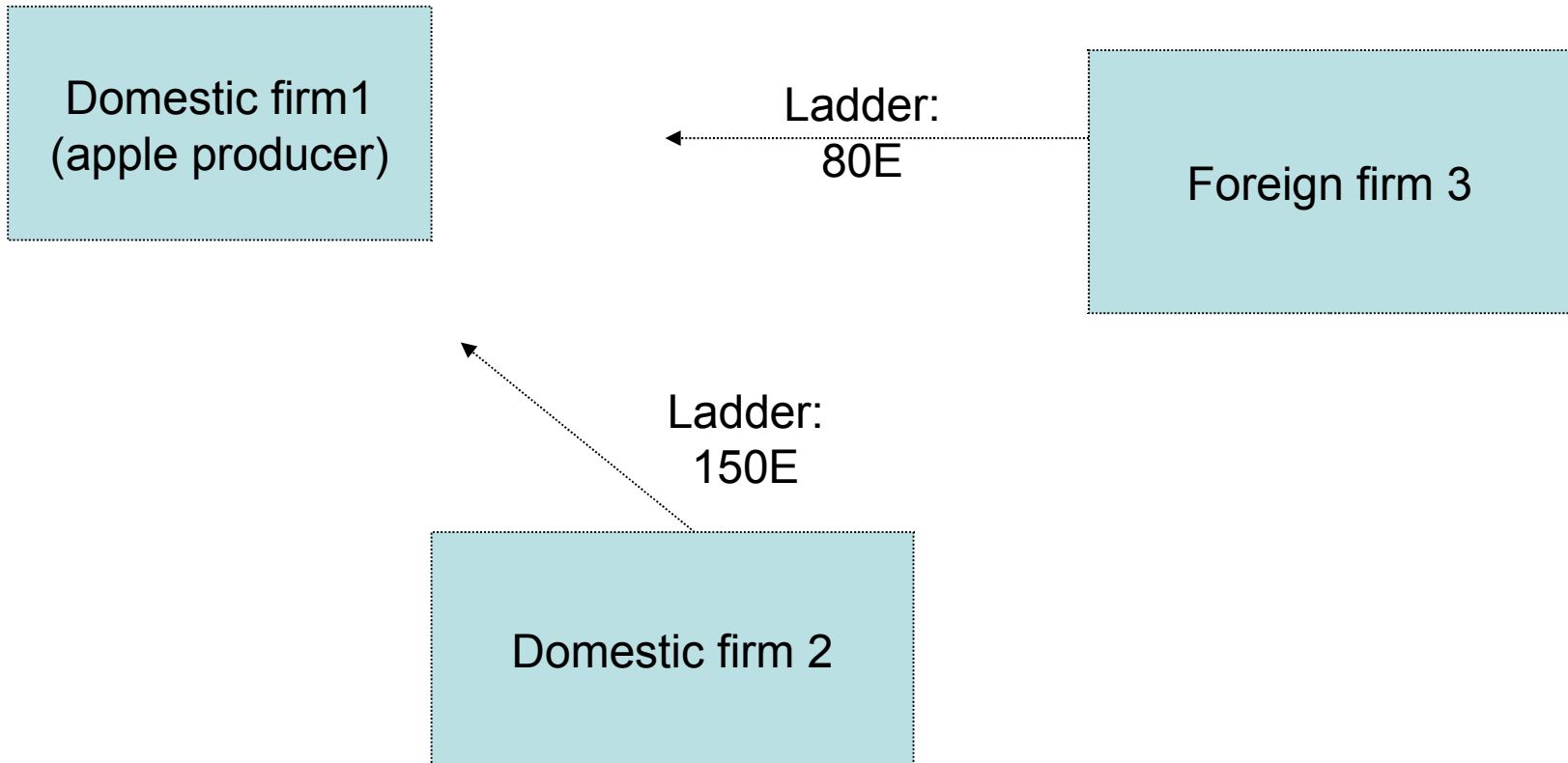


Where are the capital and labor markets?

- Market A: demand: firm 3, supply: household, good: labor
- Market B: demand: firm 1, firm 2, firm 3, supply: household, good: capital

Why do we trade?

- Absolute cost advantage



Firm 1's profit calculation

- Assumptions:

- apple price: 50 cent/piece
- production function: apples = $1000 \cdot \log(\text{ladders})$
- Domestic ladder: 150 Euro
- Foreign ladder: 80 Euro



- Calculus

- Profit function: $\Pi = 0.5 \cdot 1000 \cdot \log(\text{ladders}) - x \cdot \text{ladders}$
- x : price for ladder
- At ladder*: $d\Pi/d\text{ladder} = 0.5 \cdot 1000/\text{ladders} - x = 0$
- $500/\text{ladders} = x$
- $\Rightarrow 500/x = \text{optimal number of ladders}$

- $X = 80\text{E} \Rightarrow 6.25 \text{ ladders (profit: 416.29 Euro)}$
- $X = 150\text{E} \Rightarrow 3.33 \text{ ladders (profit: 101.98 Euro)}$

Conclusions I

- Foreign cheaper imports (cheaper in absolute terms) (absolute advantage)
 - more of the good (ladder) is used in domestic production (firms)
 - output of final good is increased (apples)
 - => economic growth !
 - (assumption: p fixed => consumer)
 - profits of domestic firms rise
 - Does welfare in society increase ?

Conclusions II

- Domestic ladder industry:
 - ‚International competition‘: pressure to reduce production costs from 150E down to 80E
 - increase in domestic unemployment: lay-off of workers in ladder-industry
 - welfare increase for all agents only if profit from apple-producers is partly redistributed to domestic ladder-producers/ladder-workers
 - (winners => losers)